

thermodynamic

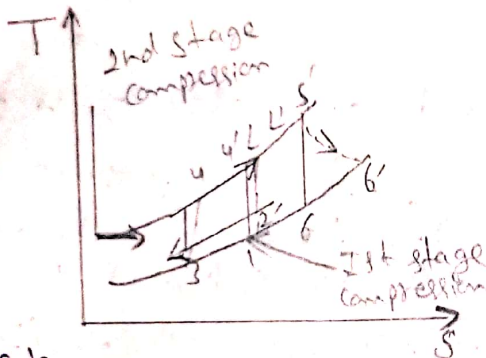
Section 1.

Q1) (A) Gas turbine :- thermal efficiency or specific output of an open cycle gas turbine can be improved by following three methods:-

3) Intercooling

① This is required to reduce the compressor work and to increase the work done

② The compression of air to be done in two compressors - firstly in low pressure compressor then in high pressure compressor - compression process is to be done as shown in fig.



⑥ Reheating

① This process uses two turbines a high pressure turbine and a low pressure turbine.

② There is a reheater present in between these two turbines.

③ Here high pressure turbine is used to drive the compressor and the low pressure turbine provides useful work output.

④ Actual process is shown by 1-2'-3-4'-5-6' (with reheating) and ideal process is shown by 1-2-3-4-5-6 (with reheating)

⑤ Actual process without reheating is shown by 1-2'-3-4 and the ideal process without reheating is shown by 1-2-3-4-L.

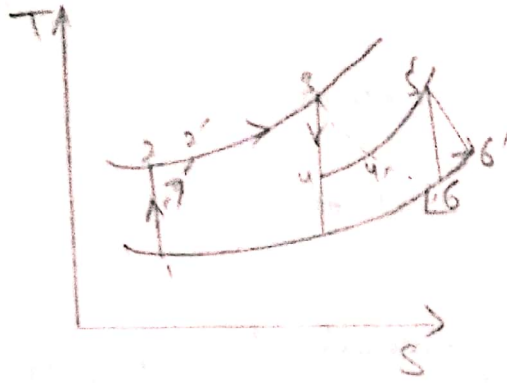
⑥ The work output with reheating

⑦ The work output without reheating

$$= C_p (T_{5'} - T_{6'})$$

$$= C_p (T_5 - T_6)$$

### 2) Brayton Cycle:-



⑧ From T-s diagram it is clear that,

$$T_5 - T_{6'} > T_{4'} - T_{2'}$$

Hence the work output increase with reheating. This will also increase the work input and it may be result reduction in thermal efficiency.

### ⑨ Regeneration:-

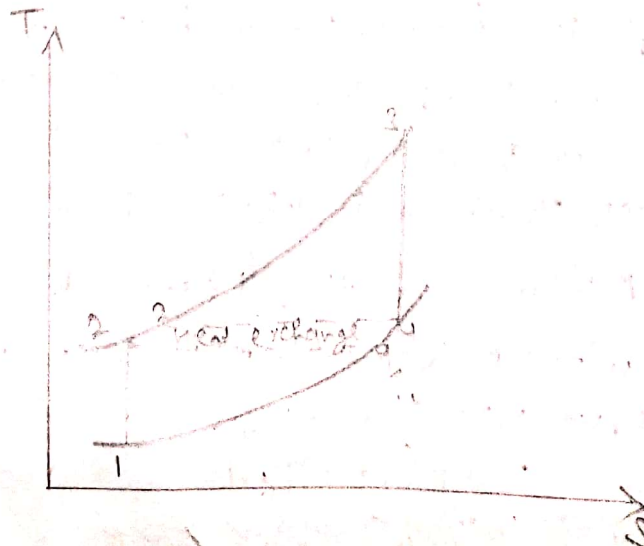
① Regeneration is a heat exchanger which is used to preheat the air leaving compressor before entering the combustion chamber, thereby reducing the amount of fuel to be burnt inside combustion chamber combustor.

② Regeneration air standard gas turbine cycle is shown in fig.

③ Under ideal condition no frictional pressure drop occurs in neither fluid stream while turbine exhaust gas gets cooled from 4 to 4' while compressed air is heated from 2 to 2'.

④ Assuming regenerator effectiveness as 100% the temperature rise from 2 to 2' and drop from 4 to 4' is shown on T-s diagram.

⑤ Regenerator effectiveness = 
$$\epsilon = \frac{T_{2'} - T_2}{T_4 - T_2}$$

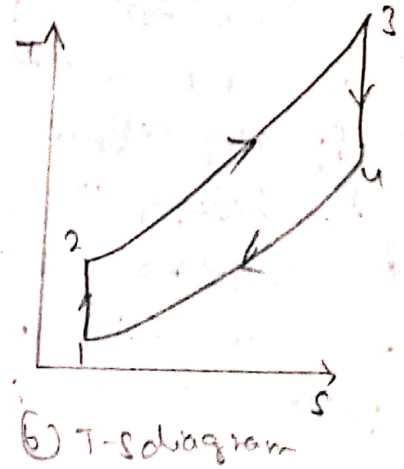
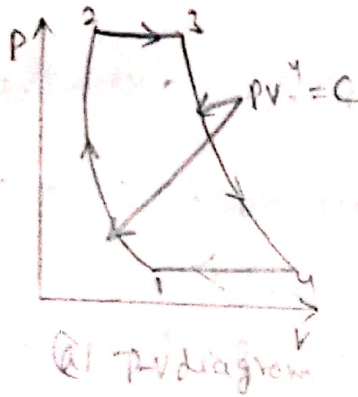




2) Brayton Cycle:-

① It is a theoretical cycle for gas turbine and also known as constant pressure cycle for a perfect gas.

(a) Brayton cycle on P-V and T-S diagram :-



2) Brayton cycle processes:-

- 1-2 :- adiabatic compression
- 2-3 :- constant pressure heat addition
- 3-4 :- adiabatic expansion
- 4-1 :- constant pressure heat rejection

Net work done/cycle = heat added/cycle - heat rejection/cycle

Heat added in process 2-3 =  $m c_p (T_3 - T_2)$   
 " rejected " " 4-1 =  $m c_p (T_4 - T_1)$   
 work done / cycle =  $m c_p (T_3 - T_2) - m c_p (T_4 - T_1)$

Efficiency of Brayton cycle:-

① Efficiency, Naïr standard =  $\frac{\text{work done/cycle}}{\text{heat addition/cycle}}$

$$\Rightarrow \frac{m c_p (T_3 - T_2) - m c_p (T_4 - T_1)}{m c_p (T_3 - T_2)}$$

Naïr standard =  $1 - \frac{T_4 - T_1}{T_3 - T_2}$  — eq ①

② from process 1-2

$$\frac{T_2}{T_1} = \left(\frac{P_2}{P_1}\right)^{\frac{\gamma-1}{\gamma}}$$

$$T_2 = T_1 (r_p)^{\frac{\gamma-1}{\gamma}}$$

③ Similarly, from process 3-4

$$T_3 = T_4 (r_p)^{\frac{\gamma-1}{\gamma}}$$

④ putting the value of  $T_2$  and

$T_3$  in eq. (1) we get

Naïr standard =  $1 - \frac{T_4 - T_1}{T_1 (r_p)^{\frac{\gamma-1}{\gamma}} - T_4 (r_p)^{\frac{\gamma-1}{\gamma}}}$

$$\Rightarrow 1 - \frac{1}{(r_p)^{\frac{\gamma-1}{\gamma}}}$$